	Name: 1
Geometry Lesson 1	Date:
Objective: TSW know and understand points, lines, and planes.	Period:
In geometry, a definition of a term is a statement that defines a mathematical mathematical terms. A basic mathematical term that is not defined using other term. In geometry, points, lines, and plane	object. Definitions usually reference other er mathematical terms is called an es are
terms that are the building blocks used for defining other terms.	
A names a location and has no size. It is represented by a dot a	nd labeled using a capital letter, such as P.
A is a straight path that has no thickness and extends forever. The infinite number of points on a line. A line is named using either a lowercase le any two points on the line. Two possible names for the line shown in the diago and x.	ere are an C tter or A D B ram are A D A x
Any set of points that lie on the same line are called point	s. In the diagram, A, B, and D are collinear.
If points do not lie on the same line, they are	Points <i>A</i> , <i>B</i> , and <i>C</i> are noncollinear.
Example 1 Identifying Lines and Collinear Points a. Give two different names for the line. SOLUTION	¢
b. Name three collinear points and three noncollinear points. SOLUTION	• E • D
A is a flat surface that has no thickness and extends forever. A an uppercase letter or noncollinear points that lie in the plane below could be called <i>P</i> or plane	plane is named using either e. The plane in the diagram $ \frac{y}{\sqrt{2}} $
Lines or points that are in the same plane are said to be no plane that contains the lines or points, then they are noncoplanar.	If there is
is the set of all points. Therefore, space includes all lines and al	l planes.
Example 2 Identifying Planes What are two different names for this plane? SOLUTION	• G • H M
Example 3 Identifying Coplanar Lines a. Identify the coplanar and noncoplanar lines in the diagram. SOLUTION	e w w
Commenter d'accord 1	*

Geometry Lesson 1

## b. Identify the coplanar and noncoplanar lines in the diagram. SOLUTION

An



Math Reasoning

is the point or set of points in which two figures meet.

Model Can two planes have no intersections at all? What common objects illustrate what this might look like?

When two planes intersect, their intersection is a single

When two lines intersect, their intersection is a single \_\_\_\_\_

If a line lies in a plane, then their intersection is the \_\_\_\_\_\_ itself. If the line does not lie in the plane, then their intersection is a single \_\_\_\_\_\_.

Lines q and m intersect at point Q. Plane R intersects plane P at line \_\_\_\_.

The intersection of plane R and line *m* is line \_\_\_\_.

Line q intersects planes R and P at point \_\_\_\_\_.

**Example 4 Intersecting Lines and Planes** 

a. What is the intersection of  $\overrightarrow{AB}$  and  $\overrightarrow{CD}$ ? SOLUTION

b. What is the intersection of  $\overrightarrow{PQ}$  and  $\overrightarrow{RS}$ ? What is the intersection of planes M and L? SOLUTION

You Try!!!! Identify each of the following from the diagram. a. All of the lines.

b. A pair of collinear points.

c. All of the planes.

d. Three coplanar points.

- e. Two coplanar lines.
- f. A pair of noncoplanar lines.

Use the diagram to answer each question. g. What is the intersection of  $\overrightarrow{IK}$  and  $\overrightarrow{NM}$ ?

h. What is the intersection of  $\overrightarrow{IK}$  and plane W? What is the intersection of  $\overrightarrow{NP}$  and plane W?









